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ATZG 2024

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# Magnus Glider Looping Phase in Microgravity

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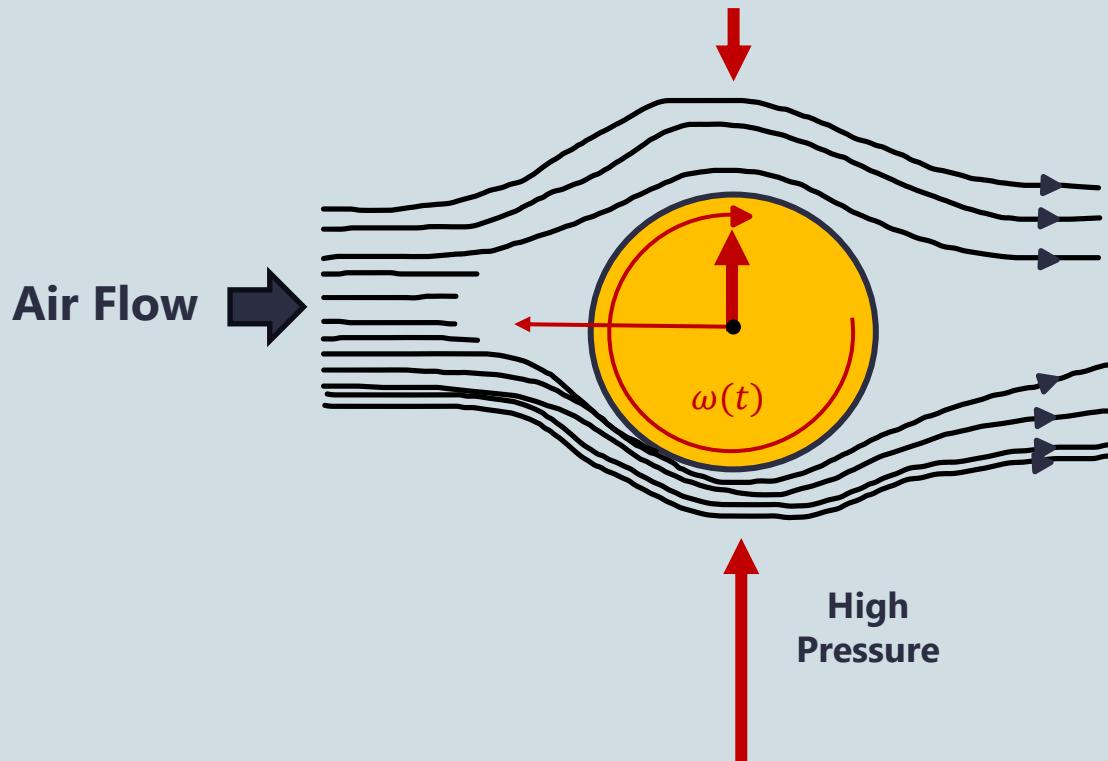
NUS High School of Math & Science



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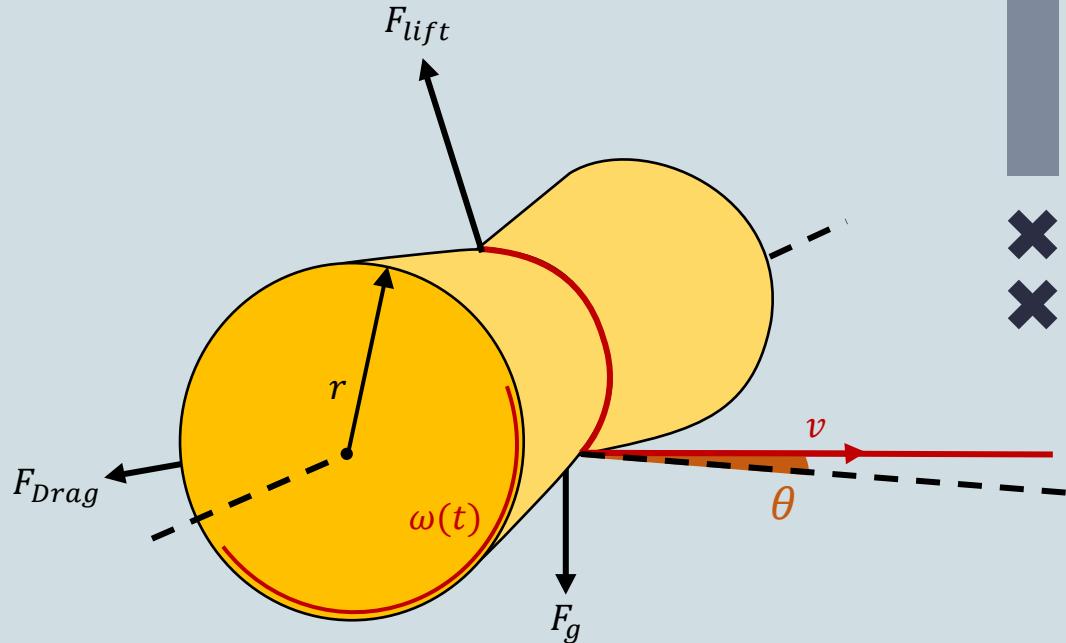
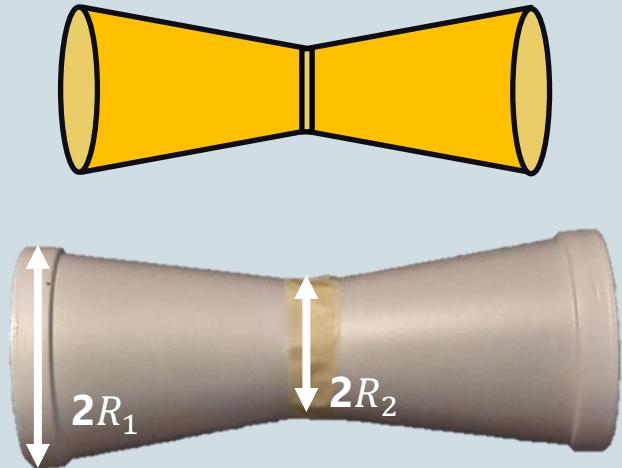
# Magnus Effect



Bernoulli's Principle

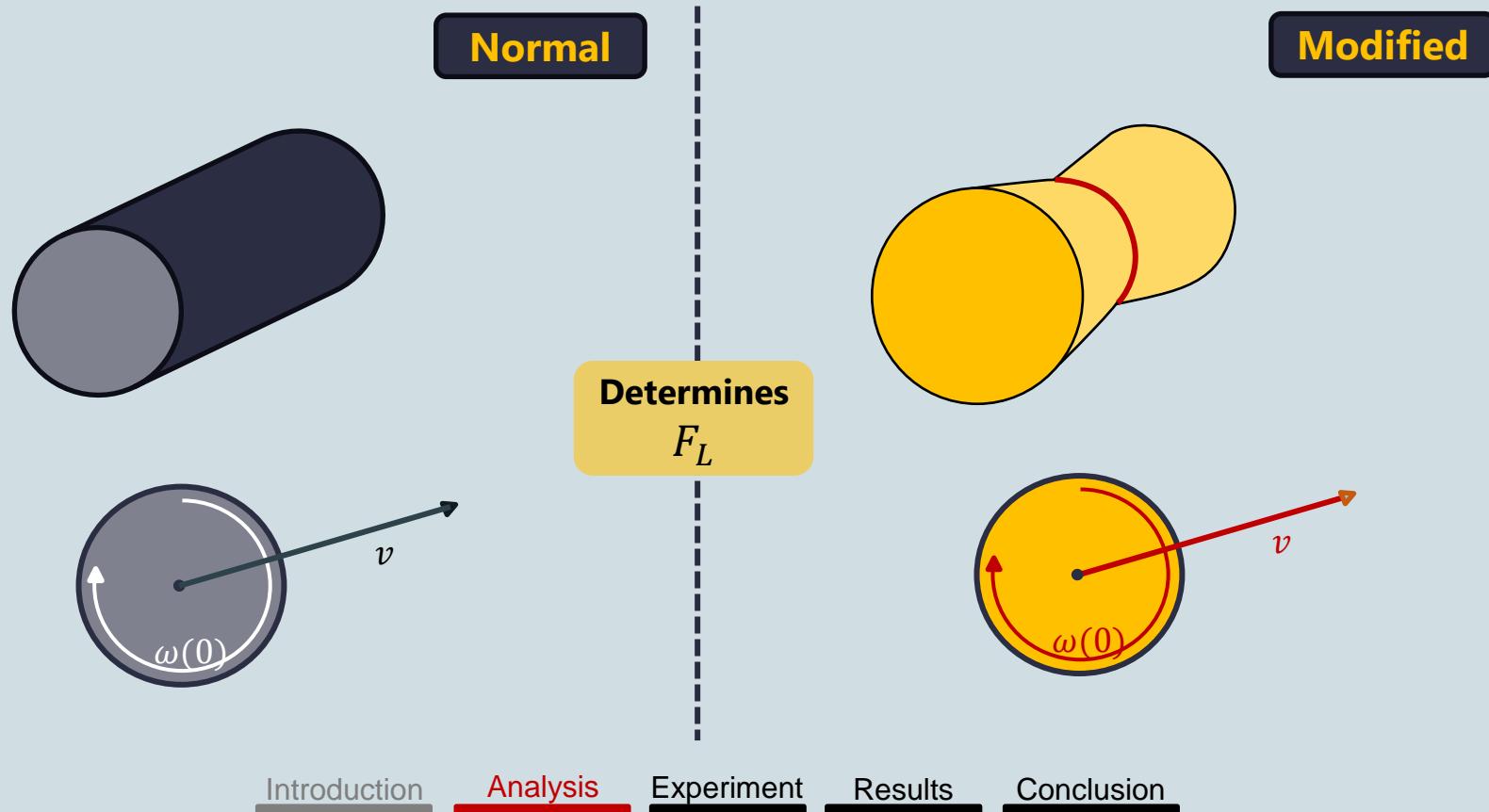
$$\uparrow + \downarrow = \uparrow$$

# Bernoulli's Principle



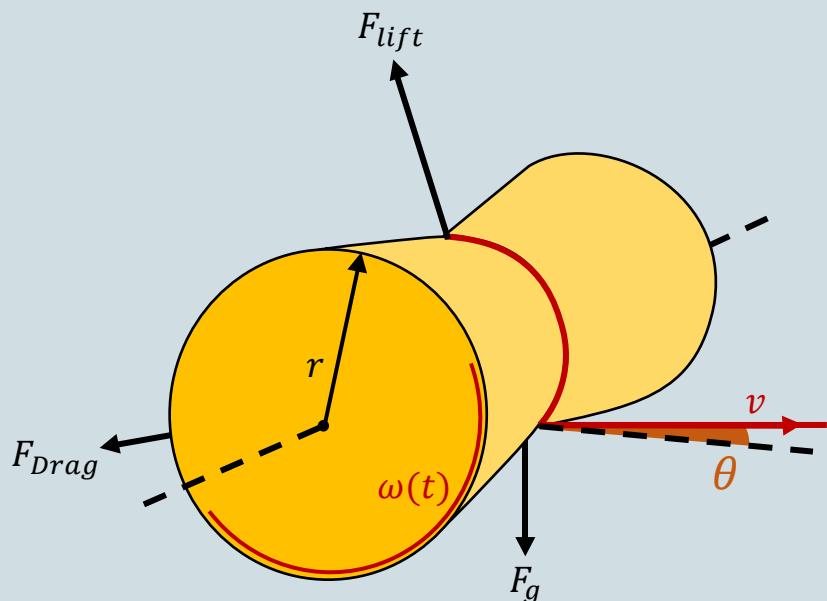
$$ma = mg + F_L + F_D$$

# Kutta-Joukowsky Lift Theorem



# Force Analysis

$$ma = mg + F_L + F_D$$



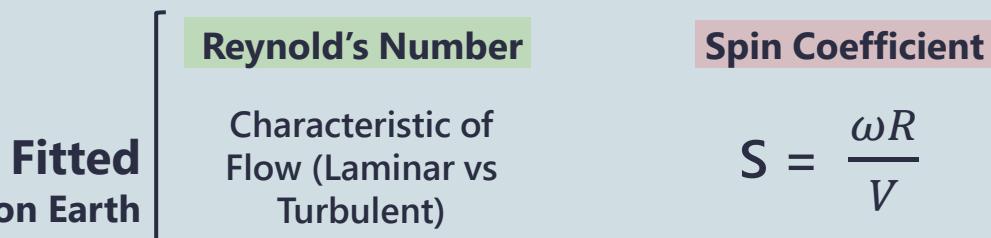
from experiments on Earth

$$F_L = \frac{4}{3} \alpha \omega \rho V L (R_1^2 + R_1 R_2 + R_2^2)$$

$$F_D = \frac{4}{3} \alpha \omega \rho V L (R_1^2 + R_1 R_2 + R_2^2)$$

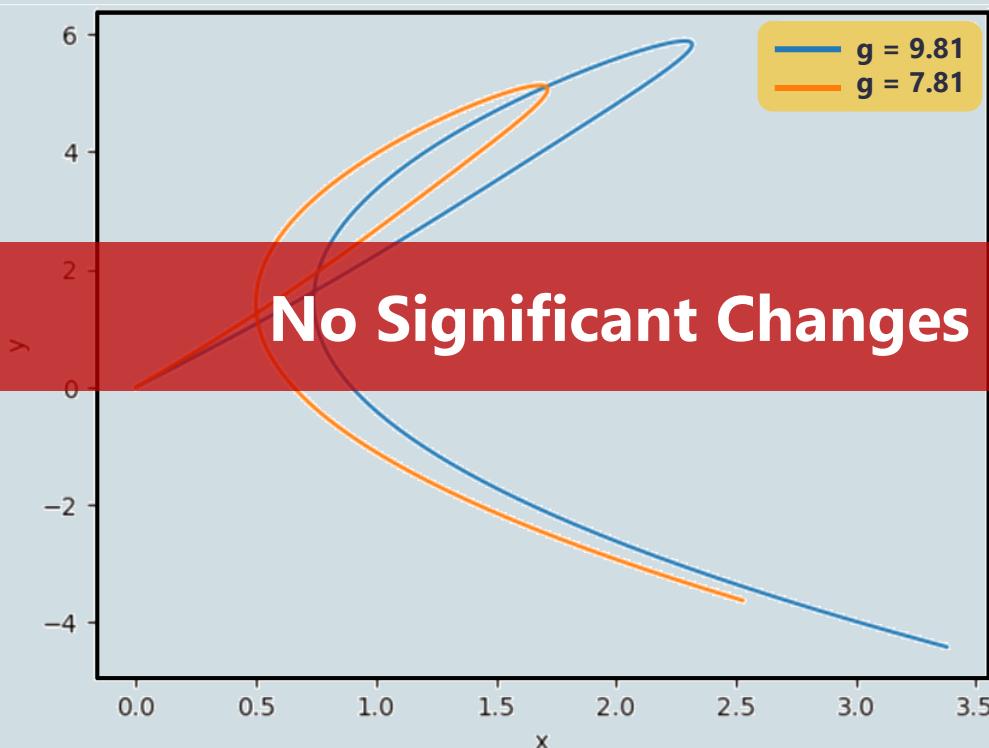
$$m \frac{dv_y}{dt} = \left[ -\frac{1}{2} C_D \rho S \right] V_y |V_y| - \rho V_y (2\pi r^2 \omega)$$

$$m \frac{dv_x}{dt} = \left[ -\frac{1}{2} C_D \rho S \right] V_y |V_y| - mg + \rho V_x (2\pi r^2 \omega)$$



$$S = \frac{\omega R}{V}$$

# Parameters



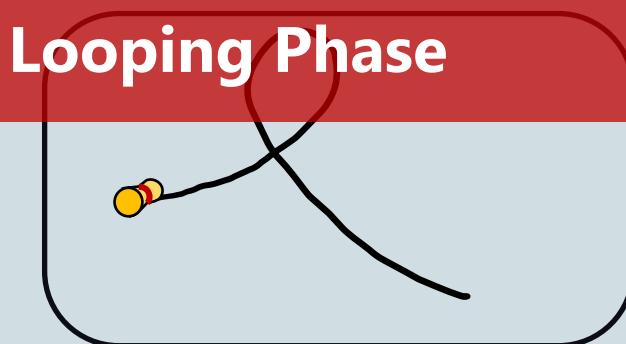
$m = 17.4 \text{ g}$

$R_1 = 5.01 \text{ cm}$

$R_2 = 8.00 \text{ cm}$

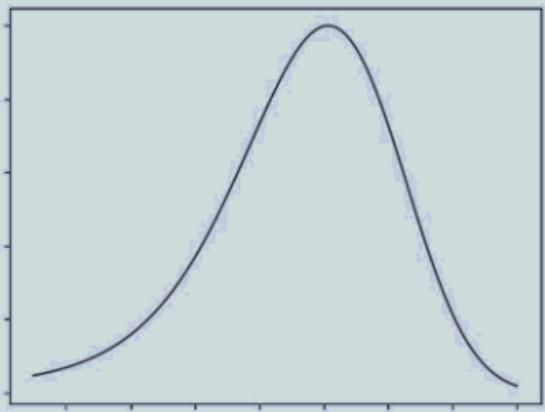
← Fixed Reference Frame

No Significant Changes in Looping Phase

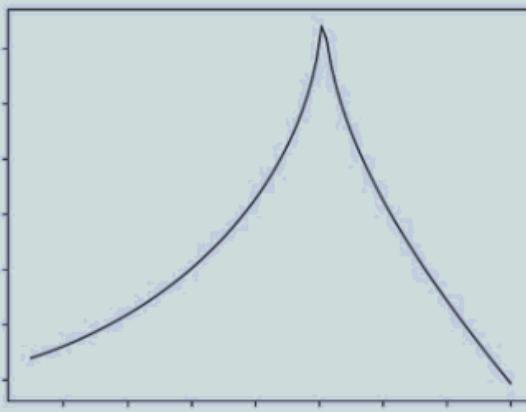


ISS in free fall

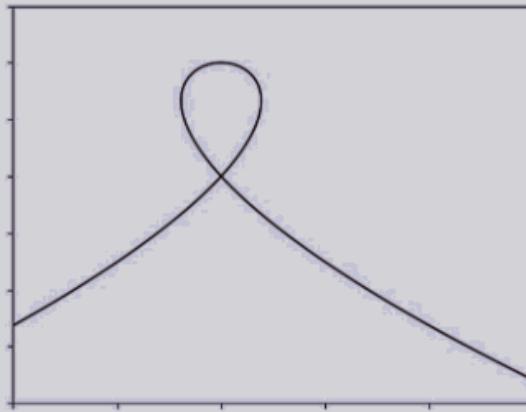
# Trajectories



Arch



Cusp



Loop

Increased transition velocity from  
Cusp to Loop phase at ISS

# Experimental Setting



Low Earth Orbit

$$g = 7.81 \text{ m/s}^2$$

Only qualitative  
discussion possible

X  
X

# Variations

Run#	1	2	3	4
				
	Number of Turns of Rubber Band: 2 Direction: Horizontal	Number of Turns of Rubber Band: 4 Direction: Horizontal	Number of Turns of Rubber Band: 2 Direction: Downward	Number of Turns of Rubber Band: 4 Direction: Downward

Horizontal

Downward

# Results

Horizontal



Too high horizontal speed

||

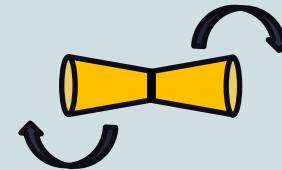
Strong lift forces

||

Wobbly, turbulent  
pathway

# Results

Horizontal



Unstable state

X  
X

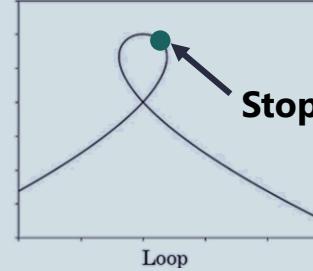
Reynold's Number

↑ Turbulence

Spin Coefficient

$$S = \frac{\downarrow \omega R}{V \uparrow}$$

# Results



Downward

Optimal Downward movement

Initial Looping seen

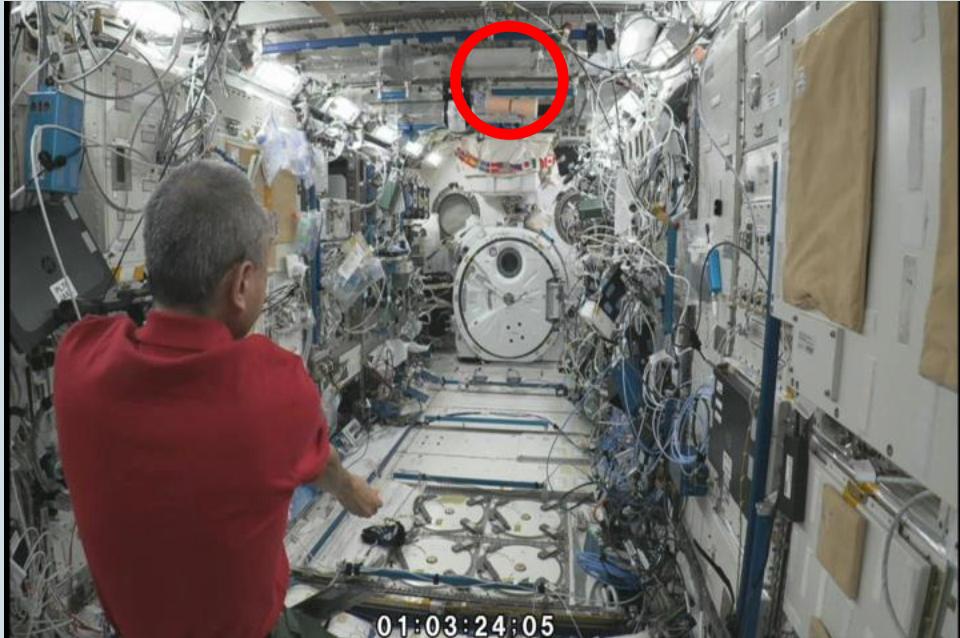
Numerical prediction looping time: 3.50s

Actual looping time: 3.12 s



# Results

Downward



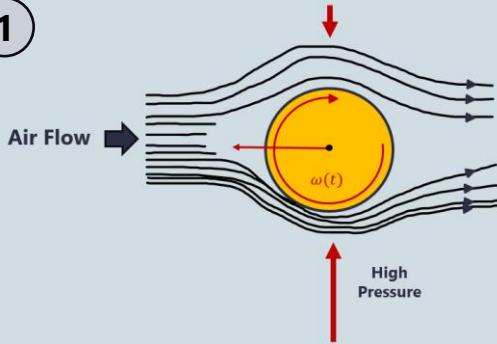
Arbitrary floating motion ?

Moving Reference  
Frame

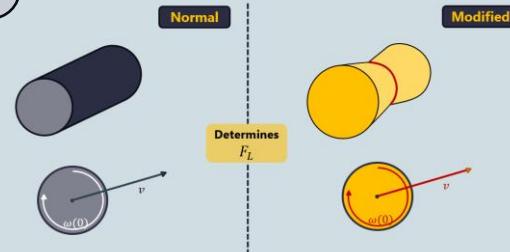
Free fall of  
ISS

# Conclusion

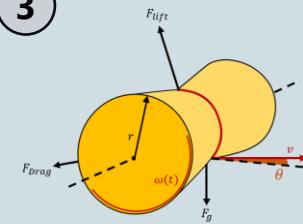
1



2



3



$$m\mathbf{a} = m\mathbf{g} + \mathbf{F}_L + \mathbf{F}_D$$

$$\mathbf{F}_D = C_d(\text{Re}, S_p) \frac{\rho SV^2}{2} \hat{\mathbf{v}}$$

$$\mathbf{F}_L = C_l(\text{Re}, S_p) \frac{\rho SV^2}{2} \tilde{\omega} \times \hat{\mathbf{v}},$$

Reynold's Number Spin Coefficient



Introduction

Analysis

Experiment

Results

Conclusion

# References

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## Thank You !